

# PHYSICS

## Physics is about explaining phenomena by

- Measuring quantities and making observations
- Using measurements and observations to explain / describe phenomena
- calculate quantities
- predict

### **Counting**

- how many "things"
- usually whole numbers

### **Measuring**

- involves quantities (value)
- usually has decimals
- needs significant figures

**Measurement** is a physical quantity. It is made up of two parts: a number and a unit. eg. 10m means 10 times meters.

# Quantities / Units / Symbols

**Quantity** is something you can measure eg.  $m$  ,  $t$  ,  $v$

**Unit** is how you measure it , what you measure it in (SI units are standard international units) eg.  $g$  ,  $km$  ,  $s$  ,  $m^3$

It usually makes sense to have the unit after the number.  
eg.  $5s$  (5 seconds)

**Symbol** is a shortened form / abbreviation for the unit or the quantity or equipment.

## Combining units

A girls cycles  $15\text{ m}$  in  $3\text{ s}$ . Therefore she travels  $5\text{ m}$  every  $1\text{ second}$ . Her speed is thus  $5\text{ ms}^{-1}$ . The equation for speed is therefore derived from the definition:

Speed = distance per unit time

$$\text{Speed} = \frac{\text{distance}}{\text{time}}$$

# Basic S.I Units

Quantity	Name of unit	Symbol of unit
Length	metres	m
Time	seconds	s
Mass	kilogram	kg
Electric current	ampere	A
Temperature	Kelvin	K
Quantity of substance	mole	mol

## Common non S.I. unit quantities

Tonne (mass)  $1\text{t} = 1000\text{ kg}$

Litre (volume)  $1\text{L} = 1000\text{ mL} = 0.001\text{ m}^3$

Hour (time)  $1\text{ h} = 60\text{ minutes} = 60 \times 60\text{ seconds} = 3600\text{ s}$   
 $1\text{ min} = 60\text{ s}$

Degrees celcius (temperature)  $1\text{ }^{\circ}\text{C} = 1\text{ K} ; 0\text{ }^{\circ}\text{C} = 273\text{ K}$

<u>Prefix of unit</u>	<u>meaning</u>	<u>abbreviation</u>
G (giga)	$10^9$	GW (gigawatt)
M (mega)	$10^6$	MW(megawatt)
k (kilo)	$10^3$	kg (kilogram)
d (deci)	$10^{-1}$	dm (decimeter)
c (centi)	$10^{-2}$	cm (centimeter)
m (milli)	$10^{-3}$	mg (milligram)
$\mu$ (micro)	$10^{-6}$	$\mu\text{m}$ (micrometer)
n (nano)	$10^{-9}$	nm (nanometer)

# Using prefixes

1.      2m                      =      \_\_\_\_\_ mm  
   =      \_\_\_\_\_ km  
   =      \_\_\_\_\_  $\mu\text{m}$

2.      2400g                    =      \_\_\_\_\_  $\mu\text{g}$   
   =      \_\_\_\_\_ mg  
   =      \_\_\_\_\_ kg

3.      0.0076s                   =      \_\_\_\_\_ ns  
   =      \_\_\_\_\_ ms  
   =      \_\_\_\_\_  $\mu\text{s}$

## Challenge

4.                      15ms                      =      \_\_\_\_\_  $\mu\text{s}$   
                                 0.031kg                   =      \_\_\_\_\_ mg  
                                 29300cm                   =      \_\_\_\_\_ km

# Converting common units

- **Mass:**

1 tonne = 1000kg	To convert: kg	→ g	× 1000
1 kg = 1000g	g	→ kg	÷ 1000

- If the unit gets smaller then the number gets bigger.

$$1g = 1/1000 (10^{-3}) kg$$

- **Distance:**

1 km = 1000m
1m = 100cm ; 1cm = 0,01m ( $10^{-2}$ )
1m = 1000mm ; 1mm = 0,001m ( $10^{-3}$ )

If the unit gets smaller then the number gets bigger.

- **To convert**

m	→	cm	× 100	m	→	mm	× 1000
cm	→	m	÷ 100	mm	→	m	÷ 1000

- **BIG → small**

m	→	cm	c ( $10^{-2}$ )	thus	3m = 3 × 10 <sup>2</sup> cm
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$$km \rightarrow m \quad km (10^3) \text{ thus } 2km = 2 \times 10^3m$$

- **Small → BIG**

mm	→	m	m ( $10^{-3}$ )	thus	7mm = 7 × 10 <sup>-3</sup> m
m	→	μm	m ( $10^6$ )	thus	8m = 8 × 10 <sup>-6</sup> μm

# Converting non SI units

## Temperature

1. room temp. \_\_\_\_\_ $^{\circ}\text{C}$  = \_\_\_\_\_K
2. T of boiling water \_\_\_\_\_ $^{\circ}\text{C}$  = \_\_\_\_\_K
3. Freezing point of  $\text{H}_2\text{O}$  \_\_\_\_\_ $^{\circ}\text{C}$  = \_\_\_\_\_K

## Volume

1. 1 cup = 250 mL = \_\_\_\_\_L = \_\_\_\_\_ $\text{m}^3$
2. 0.5 L = \_\_\_\_\_ $\text{cm}^3$  = \_\_\_\_\_ $\text{m}^3$
3. 20 000 L = \_\_\_\_\_ $\text{m}^3$  = \_\_\_\_\_mL

## Mass

1. 703 kg = \_\_\_\_\_t
2. 4.6 t = \_\_\_\_\_kg

## Time

1. 25 h = \_\_\_\_\_min = \_\_\_\_\_s
2. 60 000 s = \_\_\_\_\_min = \_\_\_\_\_h  
= \_\_\_\_\_h \_\_\_\_\_min \_\_\_\_\_s

## Ordinary Form

This is a normal number eg. 732 (3sf)

The number of significant figures can sometimes be unclear eg 2700 can be 2sf or 3sf or 4sf (if stated).

## Standard Form ( scientific notation)

This is generally used because the numbers are too large or too small to write out in full.

Eg.  $270\,000\,000 = 2.7 \times 10^8$  (two significant figures)

$0.000\,000\,715 = 7.15 \times 10^{-7}$  (three significant figures)

Standard form (sci notation) has one number, then decimal point, then rest of number, then  $\times 10^x$

Standard form is often required to a certain number of significant figures (sf) and is a more accurate way to show the number of sf.

In standard form  $2.7 \times 10^3$  (2sf) ;  $2.70 \times 10^3$  (3sf) ;  $2.700 \times 10^3$  (4sf) show clearly the number of sf.



# Significant Figures

- This represents the total **number of digits** that can be correctly used to represent a value.
- **Zero is not** always **significant**.
- **The zero is significant**
  - when it is between other digits eg. 503 (3 sf)
  - when it is at the end of a number and after the decimal point  
eg. 87.90 (4sf)
- **The zero is not significant**
  - when it is at the front of a number eg. 0.00419 (3 sf)
  - at the end of a number with no decimal point (unless stated)  
eg. 80500 (3 sf)
- An **answer** is always given to the **least number** of significant figures of the data in a calculation.

## Standard / Ordinary form

Write in standard form

43 200

1 000 000

0. 0078

0. 000 000 000 495

60800

0.00103

1008100

0.0004017

Write these values to 3 significant figures

# Scientific notation

Write in ordinary form

$$4.3 \times 10^3$$

$$7.09 \times 10^4$$

$$2.41 \times 10^{-3}$$

$$4.8 \times 10^{-5}$$

$$3.09102 \times 10^{-7}$$

$$7.00403 \times 10^8$$

$$6.023 \times 10^{23}$$

$$1.2 \times 10^{-9}$$

Write these values to 2 significant figures

# Measurement and significant figures

## Multiplication and division and powers and roots

- Round the answer to the least number of sig. figs of the numbers used
- Eg. Calculate the area of a block 3.2m by 0.341m.

$$A =$$

## Adding and subtracting

- Before adding or subtracting the data round to correct number of decimal places

Eg. Calculate the perimeter of block above.

$$P =$$

## Constants in an equation

- Ignore sf of constant when calculating  
eg calculate the kinetic energy of a 5.27kg rock travelling at  $6.1\text{ms}^{-1}$

$$E_k = \frac{1}{2} mv^2 =$$

## Angles and trig ratios

- Keep the same number of s.f. between angles and their ratio

eg.  $\Theta = 45^\circ$  (2sf) ;  $\sin \Theta = 0.71$  (2sf)

$\tan \Theta = 0.458$  (3sf) ;  $\Theta = 24.6^\circ$  (3sf)

## Subtraction

- Accuracy is reduced when subtracting numbers that are approx. the same size
- Number of sig figs can reduce ( this is not ideal)

Eg.  $5.24 - 4.98 = 0.26$   
(3sf) (2sf)

## Order of magnitude

- Quick estimate
- Normally powers of "ten"
- Eg. about a million ( =  $10^6$  )
- Mass of  $e^-$  is about  $10^{-30}\text{kg}$

## Maths Processes - using equations

- Do 1st -  $x^y$  or  $y\sqrt{x}$
- Then -  $\times$  or  $\div$
- Then -  $+$  or  $-$

## Rearranging the equation :

do it in the reverse order

# Uncertainties

- Nothing can be measured exactly - there is always an uncertainty (NOT a mistake)
- When expressing a measured value either  
value  $\pm$  uncert plus unit  
Or value unit  $\pm$  uncert.
- When reading a scale  $\pm 0.5 \times$  smallest division.
- When making a measurement  
 $\pm$  smallest division (0.5 at each end)
- In a calculation
  - + or -  $\Sigma$  uncertainty
  - $\times$  or  $\div$   $\Sigma$  % uncertainty
  - $x^n$  % uncertainty  $\times n$
  - $x^{1/n}$  % uncertainty  $\times 1/n$

## Errors and uncertainties

Measurements are never accurate

**Systematic errors** - constant error  
eg. friction, error of parallax, zero error.

**Random errors** - you have no control

- need better equipment
- values will vary

**Accurate** = correct ; **Precise** = same value



## Significant figure in uncertainty

- Uncertainties should always be expressed to 1 sf.
- The uncertainty in a measurement should be sensible  
eg.  $2.063942 \pm 0.01$  is as useless as  $24\,000 \pm 0.002$
- When measuring a distance  $d$  as  $1.721 \pm 0.025$  m

Procedure

- i) uncert 1sf 0.03
- ii) reflect uncert in answer

$1.72 \pm 0.03 \text{ m}$

# Vernier Scales

- A vernier scale
  - increases accuracy
  - allows one more sig. fig than the main scale normally would.
- Vernier scales can be read to the accuracy of the smallest division of the vernier scale

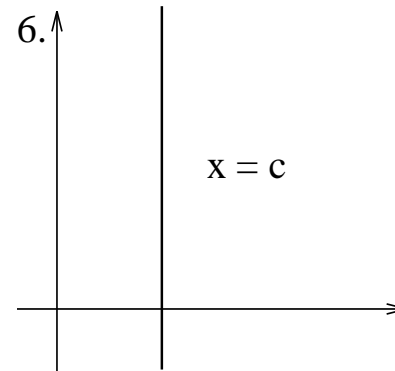
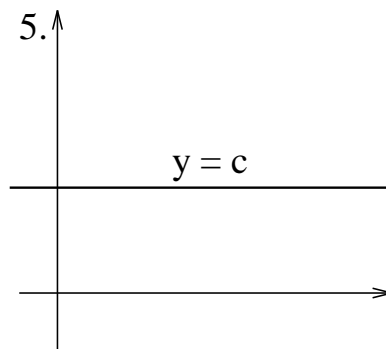
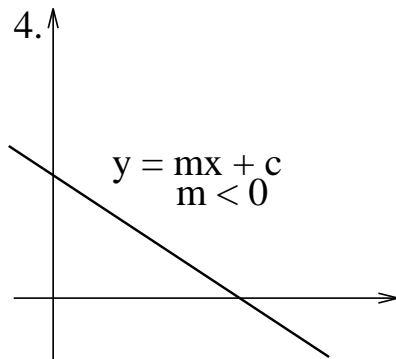
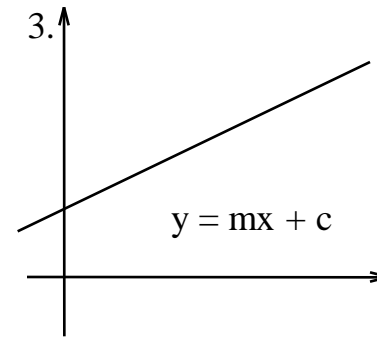
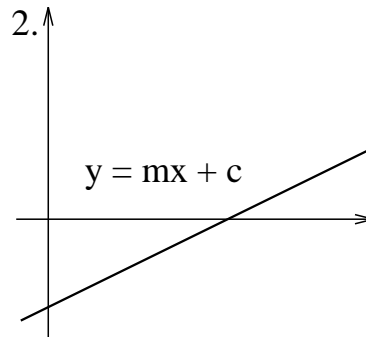
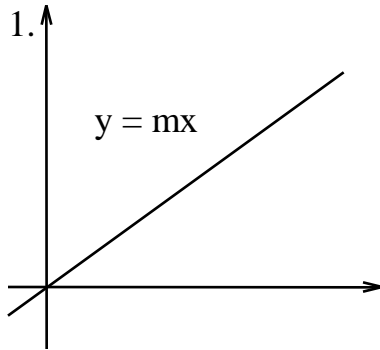
# Scientific Method

- **Aim:** sets the purpose , asks rhetorical question.
- **Method:** what to do , in words and/or a diagram
- **Results:** Measurements and Observations  
Tables are a clear way of showing data -  
rule, quantity and unit
- **Processing:**
  - Calculations** - formula , substitution , answer, unit sig fig.
  - Graphs**
    - axes - quantity , units, scale
    - points with a cross (x) not dot.
    - Smooth single line, if it looks straight rule 1 line
    - Interpolate means to read values between the data range
    - Extrapolate means to read data outside the data range
    - Gradient =  $\frac{\Delta y}{\Delta x}$
- **Conclusion:** answers the aim
- It is important that all is clear and concise

# Deriving a relationship

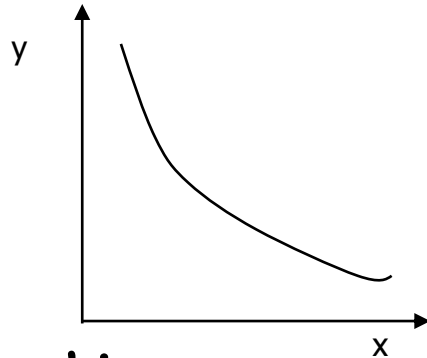
Linear relationship - straight line graph  
-  $y \propto x$  ( $y$  is directly proportional to  $x$ )

» Equation :  $y = mx + c$



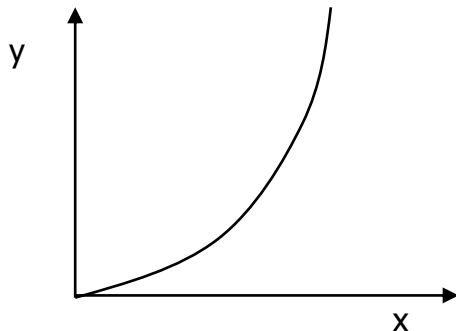
# Non linear relationships

- **Inverse relationship:**  $y \propto \frac{1}{x}$  or  $y$  is inversely proportional to  $x$   
or  $y$  is proportional to the inverse of  $x$

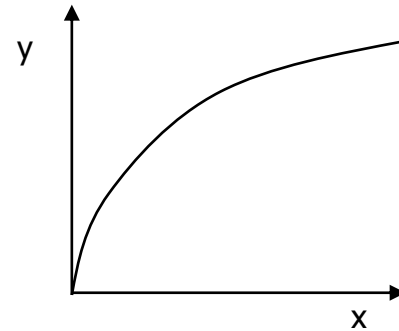


- **Square relationship :**

$y \propto x^2$  or  
 $y$  is prop to square of  $x$

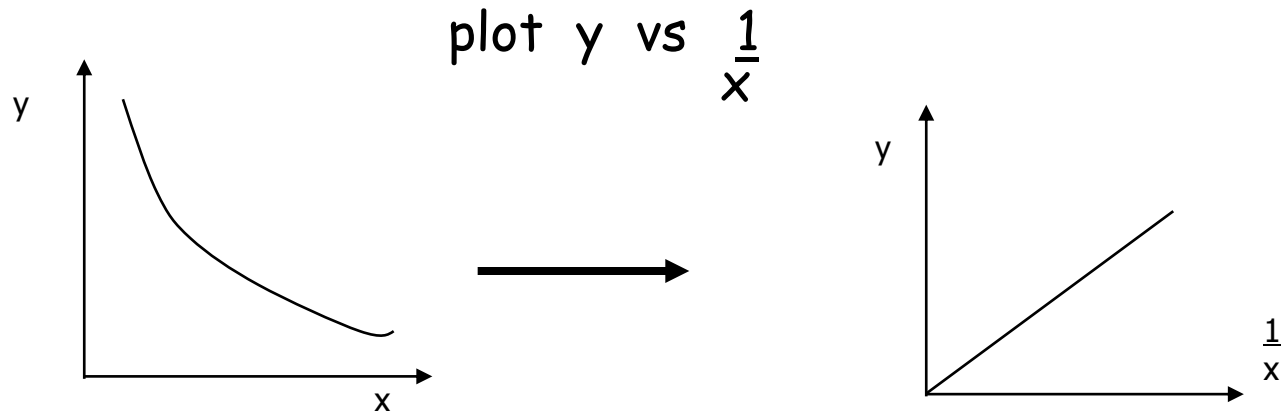


$y^2 \propto x$  ( $y = \sqrt{x}$ )  
 $x$  is prop to square of  $y$

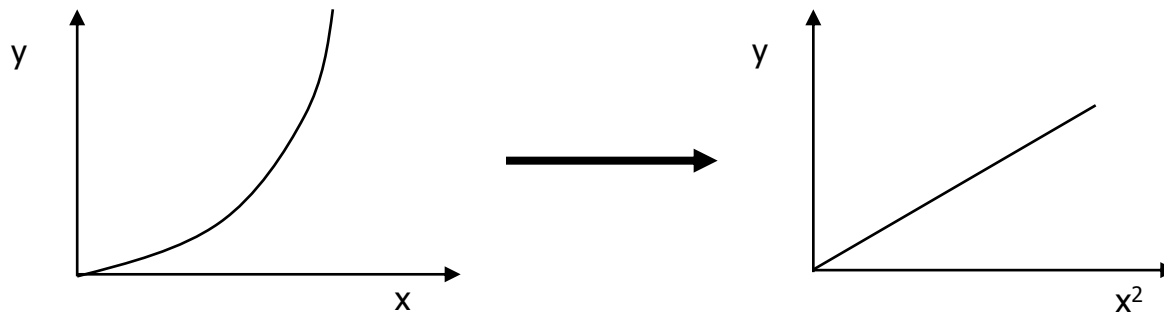


To be able to write an equation for a relationship you need a straight line graph.

- For an inverse graph, calculate the inverse of  $x$  and add to table.



- For a square  $y \propto x^2$ ; calculate  $x^2$  and tabulate  
plot  $y$  vs  $x^2$



- For a square  $y^2 \propto x$  ; calculate and add to table.  
plot  $y^2$  vs  $x$ .

